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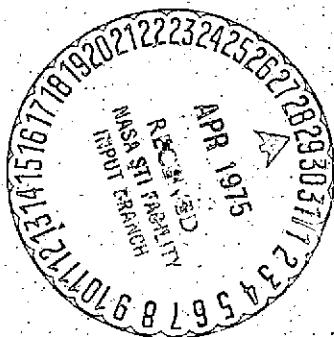
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ON-BOARD DATA MANAGEMENT STUDY FOR EOPAP

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TABLE OF CONTENTS

1. Summary	1
2. SEASAT Sensor Data Processing	3
2.1 Short Pulse Radar	3
2.2 Long Pulse Radar	4
2.3 Synthetic Aperture Radar	4
2.4 Passive Microwave Radiometer Facility	5
2.5 Very High Resolution Radiometer	5
3. Rate Distortion Theory	7
4. Short Pulse Radar Data Reduction..	13
4.1 Introduction	13
4.2 Simplified Theory of Wave Height and Wave Periodicity Estimation	16
4.3 Computer Programs Developed for the Analysis	19
4.3.1 Data Input Program	19
4.3.2 Fast Fourier Transform	19
4.3.3 Analysis Program	20
5. VHRR Data Compression	22
6. On-Board Data Management System	27
REFERENCES	28
APPENDIX A Data Input Program	29
APPENDIX B Fast Fourier Transform	32
APPENDIX C Main Analysis Program	34
APPENDIX D Printout of Average Pulse and Spectrum	41
APPENDIX E Peak Histogram	50

LIST OF FIGURES

Figure 3.1 A Simplified Communication Block Diagram	8
Figure 4.1.1 Typical Signal Return (Jonswop Data)	14
Figure 4.2.1 Short Pulse Radar Geometry	16
Figure 5.1 VHRR Signals	23
Table 5.1 VHRR Timing	24

ON-BOARD DATA MANAGEMENT STUDY FOR EOPAP

1. Summary

A study of the requirements, implementation techniques and mission analysis associated with on-board data management for EOPAP has been performed. SEASAT-A has been used as a baseline with reference [1] used as the primary source of information for the spacecraft configuration. The storage requirements, data rates, and information extraction requirements have been investigated for each of the following proposed SEASAT sensors: a short pulse 13.9 GHz radar, a long pulse 13.9 GHz radar, a synthetic aperture radar, a multispectral passive microwave radiometer facility and an infrared/visible very high resolution radiometer(VHRR). The short pulse radar is used for altimetry and the determination of wave height and wave directional spectra. Primary consideration in this study was given to this sensor based on data provided by the GSFC technical officer. The long pulse radar is used for measuring wind speeds by scatterometry. The synthetic aperture radar provides side-looking coherent imagery. The passive microwave sensors are radiometers at 5,13.9,18,22,36, and 53 GHz which are used for correcting altimeter measurements, measuring surface roughness and sea ice. The VHRR sensor provides cloud cover maps and sea surface temperature information. Data management principles for the latter were included in the study based upon the results of the earlier study contract NAS5-21940 "ITOS VHRR On-Board Data Compression Study" (reference [2]) and extended to include the other SEASAT sensors.

Rate distortion theory was applied to determine theoretical minimum

data rates and compared with the rates required by practical techniques. It was concluded that practical techniques can be used which approach the theoretically optimum based upon an empirically determined source random process model.

Finally the results of the preceding investigations were used to recommend an on-board data management system. The purpose of the on-board data management system is for (1) data compression through information extraction, optimal noiseless coding, source coding with distortion, data buffering and data selection under command or as a function of data activity, (2) for command handling, (3) for spacecraft operation and control, and (4) for experiment operation and monitoring. It was concluded that an on-board general purpose programmable computer should be used and that the advanced on-board processor (AOP) developed by NASA GSFC is suitable for the tasks required.

Section 2 is a review of the SEASAT sensors studied and their data rate requirements. Section 3 presents rate distortion theoretic considerations. Section 4 is a discussion of the data reduction and estimation techniques applied to aircraft samples of the short pulse radar type and the computer programs developed in this study for the analysis. Section 5 presents results for the VHRR data. Finally section 6 discusses an on-board data management system.

2. SEASAT Sensor Data Processing

2.1 Short Pulse Radar

The short pulse radar is used to measure the mean altitude of the spacecraft and the rms wave height in a nadir-looking mode with a .6 m dish. It also can be used with a 2 m dish in an off-nadir conical scan mode to measure wave directional spectra. The radar uses linear chirp FM transmission to attain the required resolution (≈ 3 nsec compressed pulse length) in altitude, wave height, and wave directional spectra. On-board processing can be used to estimate and transmit these parameters at a low bit rate relative to the bit rate required for the unprocessed received radar data. The actual bit rate resulting depends on the number of read-outs per second of the processed estimates which can be controlled by the on-board data management system. The control can be through read-out rate selection under ground station control or under data control as a function of data activity. In either case, data compression can be used for further bit rate reduction by sending encoded changes in the parameters rather than the parameters themselves. In this method noiseless coding is used to take advantage of the lowered entropy of the difference sequence.

Further details regarding the processing of the radar data for parameter estimation appears in section 4 based upon samples of aircraft data supplied by the NASA GSFC contract technical officer.

2.2 Long Pulse Radar

The long pulse 13.9 GHz radar is used as a scatterometer to measure wind speed and direction. The scatterometer shares the 2 m dish with the short pulse radar in a conical scan mode and operates on the principle that the radar cross section of the sea surface depends on the wind speed and direction. Atmospheric calibration is provided by the 13.9 GHz passive radiometer. As for the short pulse radar, on-board processing can be used to reduce the received radar data into estimates of wind speed and direction so that arbitrarily low bit transmission rates can be attained depending upon the read out rate desired, and/or the data activity and/or the use of data compression on the sequence of parameter estimates.

2.3 Synthetic Aperture Radar

A synthetic aperture radar is provided for side-looking coherent imaging. Waves on the ocean can be analyzed from the imagery to determine wave spacing and direction (except for a 180° ambiguity). From the wave periodicity the rms wave height can be found through the known deterministic relation between the two parameters. Furthermore information on icebergs, shoals, kelp beds, tides, oil slicks, etc. can be provided. The major drawback in the usage of this technique is the high data rate. This data rate can be reduced by selective coverage through the on-board processor and through prefiltering and buffering operations to 8 Mbps. Because of the high data rate and the inherent redundancy of images, particularly the synthetic aperture type, the signal is an ideal candidate for data compression. Using rate distortion theory (see section 3),

and empirical experience with images, it is estimated that the bit rate could be reduced to 1 Mbps with acceptable quality by using a combination of line-to-line and sample-to-sample compression techniques. If further degradation is allowed so that only the essential information is retained (wave locations, edges of land or iceberg or other significant formations, etc) a reduction to .5 Mbps or less may be possible.

2.4 Passive Microwave Radiometer Facility

The passive microwave radiometers provide atmospheric path length corrections for the short pulse radar altimeter, sea surface temperature measurements, surface wind speed measurements, and rain area and cloud water content determinations. The bit rate requirement for this data is 3.7 kbps. This can be substantially reduced by data compression using the inherent redundancy of the data (see section 3).

2.5 Very High Resolution Radiometer

A two channel very high resolution infrared/visible radiometer (VHRR) provides cloud cover pictures and surface temperature measurements in the 10.5 to 12.5 micrometer infrared band and in the 0.6 to 0.7 micrometer visible band. This instrument is essentially identical to that used for ITOS-D. The scan voltage is a 35 kHz low pass signal which requires on the order of 1 Mbps for full-resolution, uncoded transmission. However, undersampling, line deletion, data formatting, and data compression under control of the on-board processor can be used to substantially reduce the required bit rate. Detailed methods of compression for this source data appear in Systems Analysis report no. 75100, "ITOS VHRR On-

"Board Data Compression" prepared under NASA GSFC contract NAS5-21940. A summary of the essential results appears in section 5 of this report.

3. Rate Distortion Theory

The rate-distortion function of a source with a given probability distribution determines the minimum channel capacity required to transmit the source output (or the storage capacity required to store the source output per unit time) as a function of the desired maximum average distortion, where the distortion function (sometimes called fidelity criterion) is a measure of the agreement between the source output and the end user output as specified by the user. The concept originated with Shannon who calculated the rate-distortion function for certain sources including in particular a Gaussian discrete time random process. This was later extended to more complicated sources and applied to performance bounding by other authors.

Figure 3.1 presents a highly simplified communication system block diagram. The system designer is given a source and wishes to encode the source in such a way that the channel capacity (or storage) requirement is minimized. To make this minimum as small as possible, he is willing to tolerate some average distortion (typically average error power) between the source output and the decoder output. The problem addressed by rate distortion theory is the minimization of the channel capacity requirement while holding the average distortion at or below an acceptable level.

To be slightly more specific, in figure 3.1 let the average information transmitted from the source to the decoder output be denoted by the function $I(X,Y)$, more information corresponding to larger values of

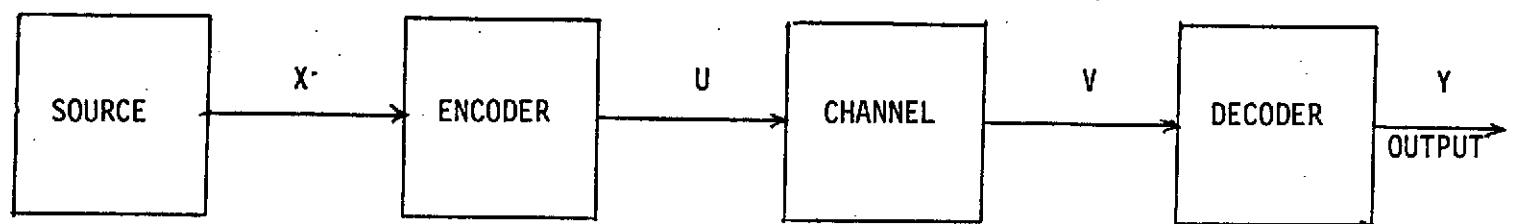


FIGURE 3.1. A SIMPLIFIED COMMUNICATION BLOCK DIAGRAM

$I(X,Y)$. Let the analogous average information transmitted from the encoder output to the channel output be denoted $I(U,V)$. The channel capacity C is defined as the maximum of $I(U,V)$ over all possible input devices. It is obvious that in figure 3.1, the intervening nature of U and V implies $I(X,Y) \leq I(U,V) \leq C$ if the function $I(\cdot,\cdot)$ is properly defined. Shannon defined the correct function for information and defined the rate distortion function $R(D)$ as the minimum value of $I(X,Y)$ for a given distortion level D . He also showed that $R(D) < C$ insures the possibility of attaining average distortion D by coding at rate C with a sufficiently complicated encoder.

To look at the problem from a different angle, the encoding and decoding can be separated into two parts-source coding and channel coding. The job of the source coder is to remove source redundancy, whereas the job of the channel coder is to insert controlled redundancy to combat noise. How well channel coding can perform is established by Shannon's noisy coding theorem which states that transmission without channel errors is possible if and only if the rate at which messages are presented to the channel coder from the source coder does not exceed channel capacity. With this constraint on the source coder, at a given channel capacity the source coding must result in a loss of quality-i.e. some distortion must result. The rate distortion function $R(D)$ is the minimum source coder rate (minimum required channel capacity) for an average distortion level D .

An analytically convenient source model to use is the Gaussian which frequently is a good model in practice, in particular for the image data found on SEASAT. Consider the problem of encoding a source which

generates a sequence of statistically independent Gaussian random variables with a squared error distortion measure. This source is characterized by a known mean (i.e. dc) value, which does not affect coding rate because it is a simple shift, and a variance (power) σ^2 . Let the source output be the N values $\{x_i, i=1, 2, \dots, N\}$ and the decoder output be $\{y_i, i=1, 2, \dots, N\}$. The distortion is taken as

$$d(X, Y) = \sum_{i=1}^N (x_i - y_i)^2$$

so that the average distortion is the average mean square error(error power):

$$D = \frac{1}{N} \sum_{i=1}^N E(x_i - y_i)^2$$

It can be shown that the rate distortion function is given by

$$R(D) = \begin{cases} \frac{1}{2} \log \frac{\sigma^2}{D} = \log \sqrt{\frac{\sigma^2}{D}} & \sigma^2 > D \\ 0 & \sigma^2 \leq D \end{cases} \quad (3.1)$$

That is, the rate distortion function is one-half the logarithm of the signal power-to-distortion(noise) ratio. It is achieved conceptually by encoding in such a way that the output error is Gaussian with variance D on each sample value and is sample-to-sample independent, but not necessarily signal independent. Actually there are no known practical methods for achieving a Gaussian error distribution or for achieving the rate distortion bound of (3.1). Instead one must be content with quantization methods which can be made to be within approximately .25 of a bit or so of the bound by choosing the quantization levels properly and using variable length coding on the quantized values.

In terms of quantizing schemes the rate distortion function has the following rough intuitive justification. The noise standard deviation as a fraction of the signal amplitude is inversely proportional to the number of quantization levels. Therefore, the number of levels should be proportional to σ/\sqrt{D} and the number of information bits should therefore be the logarithm (base 2) of this quantity. This is what is stated in (3.1). If the allowed distortion is greater than the signal power, i.e. $D > \sigma^2$, the minimum transmission rate and hence rate distortion function must be zero since nothing need be transmitted at all to achieve error power equal to signal power. This is also stated in (3.1).

The preceding was for a source of independent values. Suppose now the source contains memory as in most physical sources. In particular, suppose the source output is Markov (which means roughly that the future depends only on present values and not the past) with correlation coefficient ρ , $|\rho| < 1$. This is a model which has found good agreement in practice, in particular for video data of the VHRR and synthetic aperture radar type. The value ρ is the correlation between adjacent values on a scan line. If $\rho = 1$, then each value is the same as the last. If $\rho = 0$, the values are independent as before. For this model it can be shown that (3.1) for low distortion levels becomes

$$R(D) = \frac{1}{2} \log \frac{\sigma^2 (1-\rho^2)}{D} \quad (3.2)$$

The typical range of the parameter ρ is .95 to .99. Thus the number of bits can be reduced by $\frac{1}{2} \log(1-\rho^2)$, or something up to 3 bits, for a given mean square error D over coding for independent values. This performance can be approached through differential coding methods whereby successive sample differences are encoded by a variable length code. For

image data further gains can be made by using line-to-line effects.

Assuming the same correlation model between lines, another gain of up to 3 bits can be attained assuming sufficient random access storage is available to store one whole line of data (in addition to the present line).

Rate distortion theory is most useful in practice in providing a bound on the performance of practical data compression methods. This is the primary way it has been used in this study. Consider for example differential variable length coding wherein the successive sample differences are quantized and encoded by a variable length code. Assuming fine quantization, the variance of the difference between the present quantized value and the next sample is approximately

$$2(1-\rho) \approx (1+\rho)(1-\rho) \approx 1-\rho^2 \quad (3.3)$$

Allowing .25 bit for the optimum quantized value code over the best that can be done as shown by (3.1) and (3.2), it is seen that the differential method comes within the .25 bit of the optimum up to the approximation of fine quantization and the approximations of (3.3)

4. Short Pulse Radar Data Reduction

4.1 Introduction

Extensive studies were performed on the extraction of rms wave height and wave periodicity based on off-nadir looking aircraft radar measurements provided by the NASA GSFC contract technical officer on digital 9 track tape. Two aircraft runs were provided, the first being from the JONSWOP experiment with the NRL altimeter used in an off-nadir mode by banking the aircraft. In this experiment a 10 nsec pulse width was used with a 6° beamwidth antenna. The aircraft was banked so that the beam center pointed about 10° and 15° off-nadir on passes in various turning configurations. The aircraft was at an altitude of approximately 11,000 feet. Similar data was provided by an NRL experiment in January 1974, the primary differences being a doubled sampling rate, a fixed bearing rather than a turning course by the aircraft, and less noisy data.

The sampled data provided in each of the experiments consisted of 6 digital tape files corresponding to each of 6 aircraft passes under different conditions. Each pass consisted of 8192 signal traces measured by sampling the pulse returns sequentially 160 times with increasing delay on each pulse across a total sampled time interval of one microsecond for the JONSWOP data and 500 nsec for the NRL data. A typical pulse appears in figure 4.1.1 and is seen to comprise the total returned energy from the sea surface plus noise with noise only preceding and following the return signal.

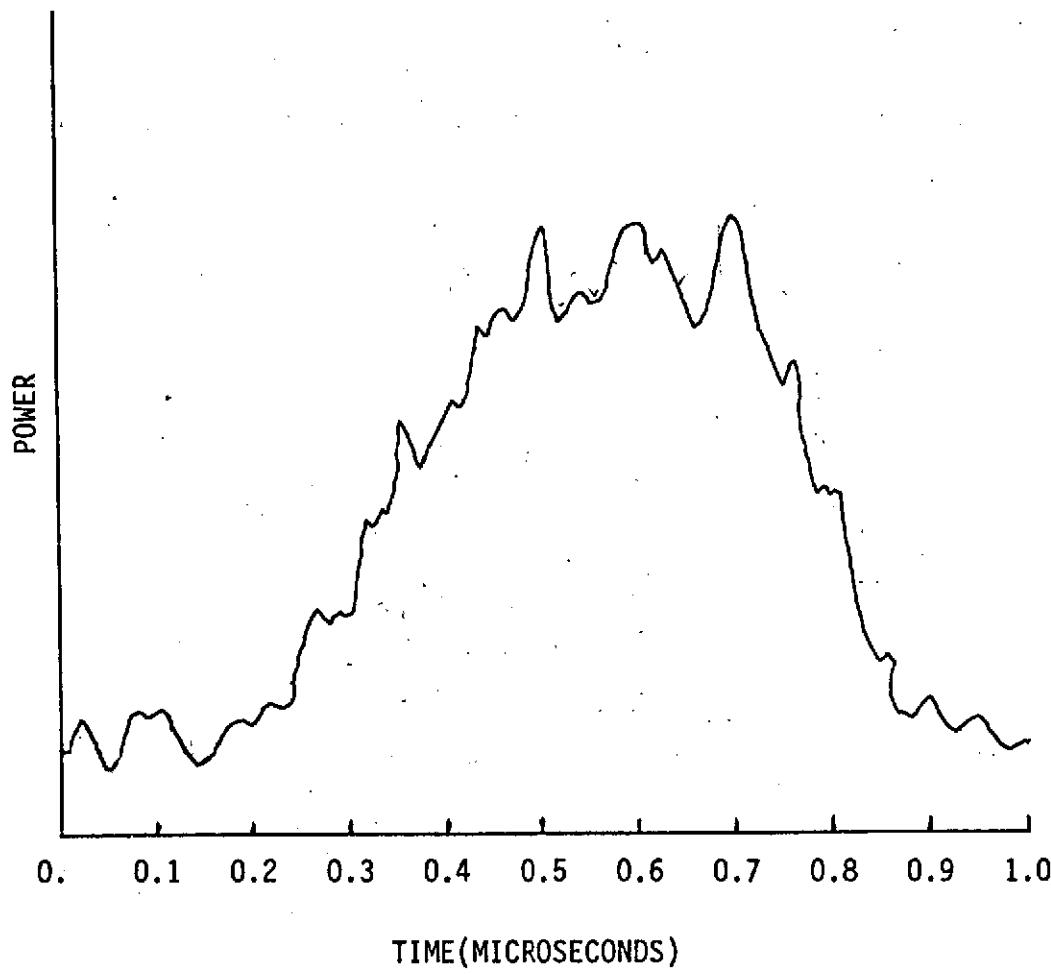


FIGURE 4.1.1. TYPICAL SIGNAL RETURN (JONSWOP DATA)

Computer programs were developed for the analysis of the sampled data and are included in listed form as a portion of this report. These are in Interdata assembly language and FORTRAN IV. The analysis programs include an Interdata assembly language program for inputting the data from the digital tape under a FORTRAN call and a master program with the ability under input control to print out individual signal traces or averages of signal traces, the ability to print out the Fourier transform amplitude spectra of the signal traces or their averages or the average of the Fourier amplitude spectra of the individual signal traces, using a fast Fourier transform routine written for the Interdata in FORTRAN, the ability to print out correlation functions and cross-correlation functions of the signal traces, and the ability to print out histograms of the signal trace peaks subject to a threshold on the signal level, including the calculated mean and rms values of the histogram. Except for the assembly language digital data input routine, FORTRAN IV was used exclusively so that the programs could be compiled on any machine, except, possibly for some minor modifications to conform with the particular compiler conventions.

Extensive computer program outputs of the various types were provided to NASA GSFC during the course of the contract for the purposes of analyzing the various approaches to determining the wave heights and/or wave periodicities from off-nadir short pulse radar data. The results to date appear promising but inconclusive, partly due to the limited amount of data, the noisiness of the data, the lack of resolution of the data, the necessity to construct one pulse from 160 sampled pulses, and the lack of ground truth values.

4.2 Simplified Theory of Wave Height and Wave Periodicity Estimation

Many papers have been written on the theory of wave height and wave period estimation from radar sea scatter measurements. Some of these are listed in the references. In this section a brief review of the pertinent theory to off-nadir short pulse radar measurements is given in highly simplified form.

Consider a radar illuminating a periodic sea surface at an angle α from nadir as shown below:

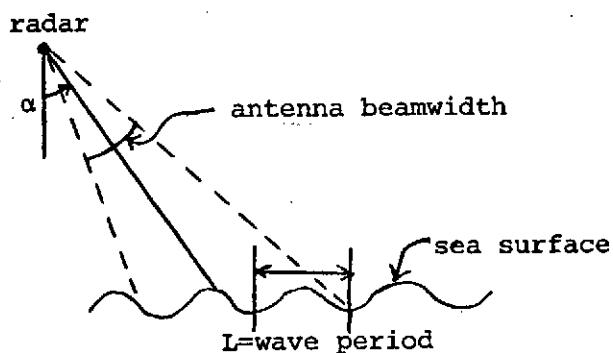


Figure 4.2.1. Short Pulse Radar Geometry

The returned signal power is the radar cross section as a function of propagation path length across the illuminated surface. If one assumes that the returns move linearly across the surface in time, the returned signal power contains an amplitude modulation component of frequency $c/(2L\sin\alpha)$. This conceptually can be extracted either directly from the returned power as a function of time or from the Fourier transform (spectrum) of the returned power by peak determination. Complicating the task, of course, is the non-pure periodicity of the sea surface, the nonlinearity of the range-time scale across the sea surface and the receiver noise. In the time domain the estimate could be extracted by a bank of

matched filters, incorporating the range-time base correction as a function of the off-nadir angle, α . Alternately the data could be sampled non-uniformly or interpolated to correct the time base followed by a Fourier transform of the squared envelope. The peak of the spectrum (away from D.C.) represents the estimated amplitude modulation frequency.

Given the wave period estimate, the rms wave height estimate can be determined from the deterministic relation between the two. Alternately the wave height can be estimated and used to estimate the wave period through the same relationship. The average power return over a number of pulses is just the convolution of the transmitted pulse with the probability density function of the wave height integrated over range. The spectrum is the product of the transform of these factors. Thus the rms wave height can be extracted from the returned signal by finding the rms value of the probability density imbedded in the averaged returns. Reference [1] proposes doing this from the leading edge of the return which should be more or less spread out depending on wave height (actually [1] proposes using nadir measurements although the same analysis can be applied to small off-nadir observations). Levine [3,4] shows that the spectrum should be approximately proportional to

$$I(v) \exp \left[-2 \left(\frac{2\pi\sigma_z}{c} \cos v \right)^2 \right] \operatorname{sinc} \left(\frac{2\pi l}{c} \sin v \right)$$

where:

v = frequency

$I(v)$ = Fourier transform of the transmitted pulse squared

σ_z = rms wave height

α = off-nadir angle

ℓ = illuminated surface length.

This is just the product of the transforms of the above referred to factors assuming the wave height distribution is Gaussian. Thus σ_z can be estimated by the rate of exponential decay of the spectrum.

Alternately, Levine [3] has shown that σ_z can be estimated from a histogram of the locations of peaks in the returned signal. In particular, he found that

$$\sigma_z^2 = \sec \alpha \left[\left(c/2 \right)^2 \overline{T_n^2} - \frac{(\ell \sin \alpha)^2}{12} \right]$$

where $\overline{T_n^2}$ is the rms peak arrival time. Thus σ_z could be extracted from a peak histogram over several pulses.

Both of the preceding methods of extracting σ_z are theoretical results from a 2 dimensional model and involve approximations. Thus experimental results are needed to confirm the theory or point to needed modifications.

4.3 Computer Programs Developed for the Analysis

4.3.1 Data Input Program

The data as supplied by the NASA GSFC technical officer is formatted on digital tape in 6 files of 257 records. The first record is a short header record for the file. Each succeeding record consists of 32 signal traces, formatted with 14 header bytes followed by 160 2-byte signal sample values. Thus one record consists of $32 \times 160 = 5344$ 2-byte (halfword) values. Each file of 256 data records comprises one aircraft pass.

The program written to read these values into a FORTRAN array is written in Interdata assembly language and appears as appendix A. The program is called by:

CALL ECKERM(INP)

where INP(N) is a (2-byte) integer array of dimension not less than 5344. All 5344 values from the next record on tape are unpacked sequentially in the array INP, including the header values.

4.3.2 Fast Fourier Transform

A fast Fourier transform was used extensively for data analysis and is listed in Appendix B. It was written in Interdata FORTRAN IV and is a subroutine called by:

CALL FOURIT(DATA,N,S,ISIGN)

where:

DATA(I) = complex array of N values

S = table of sines of dimension not less than $N/2 + 1$

ISIGN is used as follows:

sign(ISIGN) = sign of the exponent in the Fourier transform
 If $|ISIGN| \neq 1$, the sine tables are set up in S
 If ISIGN = 0, tables are set up only.

The quantity calculated is:

$$\sum_{k=1}^N DATA(k) \exp \left(i \frac{2\pi}{N} (k-1)(n-1) \text{sign}(ISIGN) \right), \quad n=1, 2, \dots, N$$

The results appear in DATA(n) in place of the original data. Note that no normalization by N occurs.

4.3.3 Analysis Program

The listing of the main analysis program appears in Appendix C as it is currently configured. Many modifications were made to the program as the contract progressed to conform to the various analytical approaches and data requests by NASA GSFC. Certain classes of outputs can be generated by an appropriate input to the program from the teletype keyboard as the program now stands. Others can be generated by simple program modifications and re-compilation. The following outputs have been generated to date:

- (1). A printout of individual signal traces squared (i.e. power) or the average of a number of signal traces squared, with the number under input control, and the centroid of the printed quantity. An example of this printout appears in Appendix D.
- (2). A printout of the log of the spectrum of the average in (1). An example appears in Appendix D where a 1024 point spectrum

appears, generated by setting all values to zero outside the return signal range. Fourier transform amplitude spectra can also be generated without the appended zeroes, in which case the values are windowed prior to transforming.

- (3). The average of the Fourier transform amplitude spectra of individual pulses.
- (4). Correlation functions of the signal traces and cross correlation functions between signal traces.
- (5). Numbers (2)-(4) with the range-time base corrected by interpolation to be linear.
- (6). Signal-to-noise ratio estimates.
- (7). Histograms of peaks exceeding an input threshold, including the mean and rms values of the histograms. An example of this printout appears in Appendix E.

To date the efficacy of the various estimation techniques remains unproven, although the results are promising. Upon the attainment of further data, the programs developed under this contract will be available for the analysis and the development of an optimal technique.

5. VHRR Data Compression

The VHRR signal appears as in figure 5.1 with the timing as indicated in table 5.1. The voltage range is 6 volts which is contained within a lowpass bandwidth of 35 kHz nominal. Using a sampling rate on the order of 100 kHz (1.43 times the Nyquist rate) and something like 8 bit sample quantization results in a bit rate on the order of 1 Mhz for a straightforward PCM transmission system. However, an examination of table 5.1 reveals that 40 % of the data can be essentially eliminated by transmitting the temperature and calibration values as single digital values rather than as long repetitive steps and by synchronizing on and selecting out the earth scan data only. It is shown in the results of an earlier study [2] that another 3 bits can be removed from the 8 bit quantized values in the earth scan data by using variable length coding on the sample differences as described in section 3 of this report. Thus the compressed-buffered bit stream requires a channel capacity on the order of $(8-5)$ bits \times 60% \times 100kHz \approx 300 kHz. Further details can be found in the reference [2].

As indicated in section 3, a further reduction in bit rate can be achieved by using line-to-line effects, perhaps to as low as 100 kHz if enough storage is allocated to hold the last line. Still further reduction in the average rate can be attained by selecting out only the intervals of time of particular interest or by deleting samples and/or lines on a regular basis. In this case digital filtering should be used to prevent aliasing on reconstruction.

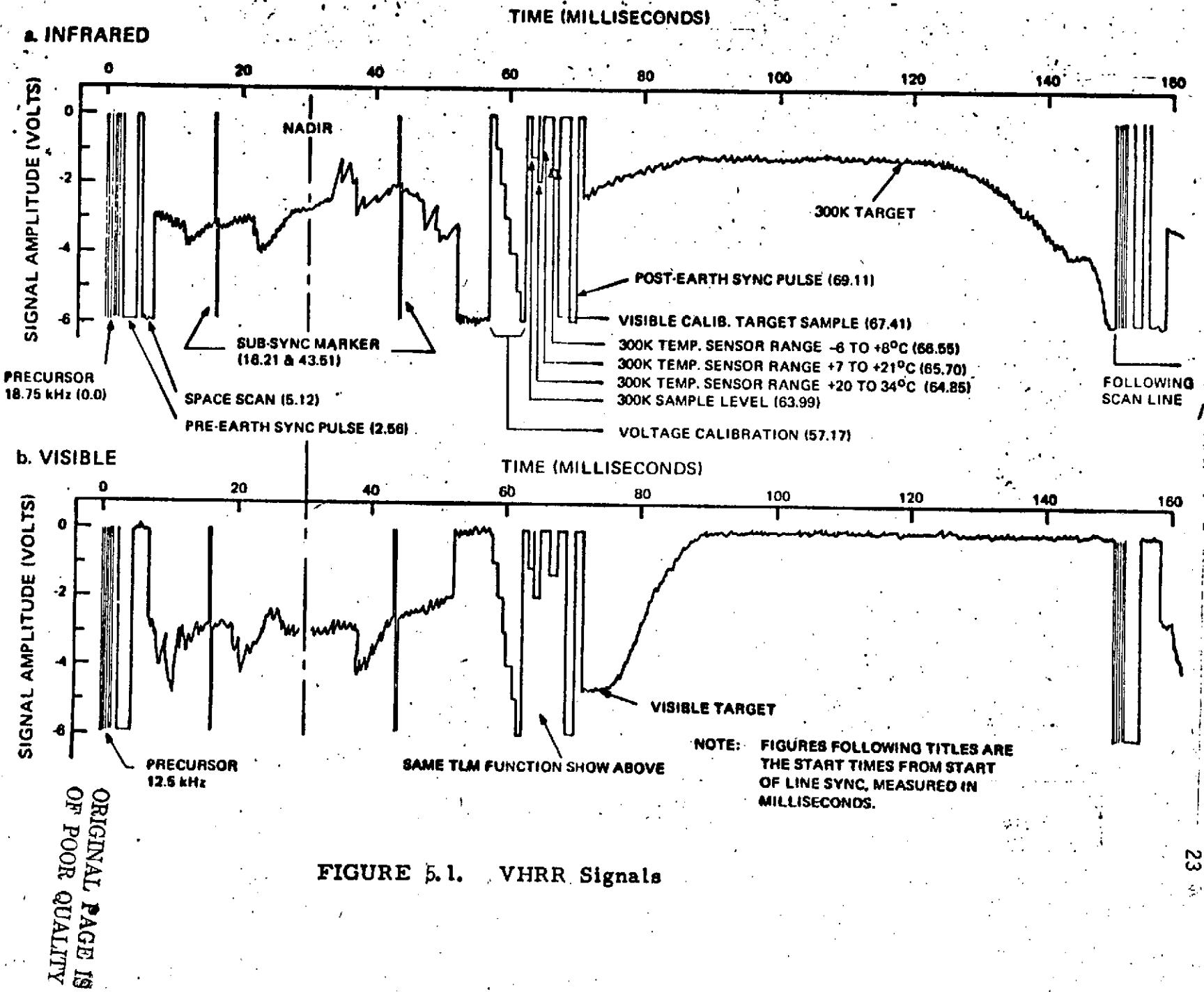


FIGURE 5.1. VHRR Signals

Function	After Start of IR Precursor		Duration		Signal Characteristics
	Counts*	Time (msec)	Counts	Time (msec)	
Precursor IR	0	0	5.2	1.71	18.75 kHz square wave. 0 to 100% amplitude starts $72 \pm 1^\circ$ before nadir
Pre-earth Synchronization signal					
Front Porch	521	1.71	256	0.85	Amplitude 0%
Sync Pulse	768	2.56	512	1.71	Amplitude 100%. Starts $63.8 \pm 1^\circ$ before the nadir
Back Porch	1280	4.27	256	0.85	Amplitude 0%
Space scan	1536	5.12	Not clock controlled	2.08†	Amplitude 100% period varies with spacecraft altitude & attitude
Earth scan		7.20†	Not clock controlled	43.32†	Amplitude varies over range 0% to 100% (0% Hot, 100% Cold). Period varies from 43.68 msec @900 n.mi. to 48.64 msec @600 n.mi.
1st Sub-Sync marker	4864	16.21	16	0.05	Two level signal starting at 0% amplitude for $\frac{1}{4}$ the period when switching to 100% for the remainder of the period
2nd Sub-Sync marker	13056	43.51	16	0.05	Same as 1st Sub-Sync marker
Space scan (post earth)	Not clock controlled	52.52	--	4.64†	Amplitude is undefined as signal may be influenced by the visible channel calibration target
Voltage Calibration	17152	57.17	1792	5.97	Seven levels increasing in amplitude from 0 to 100%. Zero level following 7th step.
Visible calibration	18944	63.14	256	0.85	Normal range when target is illuminated by sun is about 20% amplitude
Radiance calibration 300K target	19200	63.99	256	0.85	Amplitude about 20%. Varies with target's actual temperature

TABLE F5.1A VHRR TIMING

Function	After Start of IR Precursor		Duration		Signal Characteristics
	Counts*	Time (usec)	Counts	Time (usec)	
Temperature Sensor 300K target (expanded range +20 to +34°C)	19456	64.85	256	0.85	For normal temperature range amplitude will be between 0 and 80%. (If the temperature is out of this range, the signal will either be 0 or between 85% and 100%)
Temperature Sensor (expanded) range +7 to +21°C	19712	65.70	256	0.85	Same as above
Temperature Sensor (expanded range -6 to +8°C)	19968	66.55	256	0.85	Same as above
Post-earth Synchronization					
Front Porch	20224	67.41	1024	3.41	Amplitude 0%
Sync Pulse	21248	70.82	256	0.85	Amplitude 100%
Back Porch	21504	71.67	256	0.85	Amplitude 0%
End of IR scan	21760	72.53			
Precursor Vis	225238	75.00±1.00	512	1.71	12.50kHz square wave, 0 to 100% amplitude. Starts 72±10 before nadir
Pre-earth Synchronization Signal					
Front Porch	23035	76.78	256	0.85	Same as IR signal
Sync Pulse	23291	77.63	512	1.71	Same as IR signal
Back Porch	23803	79.34	256	0.85	Same as IR signal
Space scan (pre-earth)	24059	80.19	Not clock controlled	2.08t	Amplitude 0%. Period varies identically with IR signal

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TABLE 5-1. (cont)

Function	After Start of IR Precursor		Duration		Signal Characteristics
	Counts*	Time (msec)	Counts	Time (msec)	
Earth scan	Not clock controlled	82.27†	Not clock controlled	45.32†	Amplitude varies over range of 0% to 100%. (0% Black, 100% White). Period varies identically with IR channel.
1st Sub-Sync marker	27387	91.28	16	0.05	Same as IR signal
2nd Sub-Sync marker	35579	118.58	16	0.05	Same as IR signal
Space scan (post earth)	Not clock controlled	127.59	Not clock controlled	4.64†	Same as IR signal
Voltage calibration	39675	132.24	1792	3.97	Same as IR signal
Visible calib. target	41467	138.22	256	0.85	Same as IR signal
Radiance calibration 300°K target	41723	139.00	256	0.85	Same as IR signal
Temperature sensor (+20 to 34°C)	41979	139.93	256	0.85	Same as IR signal
Temperature sensor (+7 to +21°C)	42235	140.78	256	0.85	Same as IR signal
Temperature sensor (-6 to +8°C)	42491	141.64	256	0.85	Same as IR signal
Post-earth Synchronization Signal					
Front Porch	42747	142.49	1024	3.41	Same as IR signal
Sync Pulse	43771	145.90	256	0.85	Same as IR signal
Back Porch	44027	146.76	256	0.85	Same as IR signal
Multiplex tolerance safety zone	44283	147.61	...	~2.39	
End of Scan		150.00			

*A count is one cycle of 300-kHz square wave.

†Spacecraft at 790 n.mi., 0° roll error, and nominal position for start of precursor

‡Nominal value for switchover from IR to Visible Scan. All following times assume that this switchover is nominal.

TABLE 5.1. (cont)

6. On-Board Data Management System

It is clear from the preceding that the on-board processing requires a great deal of flexibility and computation which can be best performed by an on-board programmable computer, the programs for which can be loaded under ground station control. Such programs can be used to select and multiplex the sensors, to reduce the data to the desired parameter estimates, select sampling rates, encode the data and buffer it for transmission and/or storage at a constant rate from variable rate input values.

The primary considerations in the selection of an on-board processor are the computation speed, instruction repertoire and storage capacity. Also important, of course, are the power consumption, weight and volume. An investigation of the NASA GSFC-developed advanced on-board processor (AOP) indicates that it is suitable for SEASAT. It is a 1 microsecond cycle time machine with 16K 2 microsecond cycle time memory banks. There are 11 load/store and 9 arithmetic instructions plus various I/O, interrupt, branching, and test instructions.

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2. R.M. Gray and L.D. Davisson, "ITOS VHRR On-Board Data Compression Study," Systems Analysis Report no. 75100, January 1975.
3. David M. Le Vine, "Monitoring the Sea Surface with a Short Pulse Radar,"
4. David M. Le Vine, "Spectrum of Power Scattered by a Short Pulse From a Stochastic Surface," NASA GSFC Report X-952-74-299, August 1974.
5. K. Tomiyasu, "Short Pulse Wide Band Scatterometer Ocean-Surface Signature," IEEE Trans. Geoscience Electronics, v. GE-9, 1971, pp 175-177.
6. G.T. Ruck, D.E Barrick and T. Kaliszewski, "Bistatic Radar Sea State Monitoring," Batelle report, June 1972.

APPENDIX A

Data Input Program

READ ECKERMAN TAPE INTO FORTRAN S/74

PAGE 1

0000R		ENTRY ECKERM	
0000R		EXTRN .O	
	*		
	* CALL ISI		
	* CALL ECKERM(INP)		
	* INP(N) IS A FIX PT ARRAY		
	* N.GE. 5344		
	*		
	* LDD S/74		
	* MOD FOR 2 BYTE 10/74		
	*		
0000R D0A0	ECKERM	STM 10,REG	SAVE USER REGS
0008R		LH 10,0(15)	CK NUMB ARGS
0004R 48AF		SIS 10,4	
0000		BZS OK	
0008R 27A4		LHI 11,C'33'	
0000R 2337			
0000R C8B0			
3333			
0010R 41F0		BAL 15,.0	SEND ERR MESS
0000F		SVC 3,0	& STOP
0014R E130		OK LH 10,2(15)	GET A(INP)
0000		LHR 13,10	SAVE FOR LATER
0018R 48AF		STH 10,INPUT+4	SET UP SVC
0002		AHI 10,10687	END ADDR
001CR 08DA		STH 10,INPUT+6	
001ER 40A0		LIS 14,2	
009AR		LHI 15,10686(13)	LAST ADDR
0022R CAA0			
29BF			
0026R 40A0			
009CR			
002AR 24E2			
0002CR C8FD			
29BE			
0030R E110	GO	SVC 1,INPUT	READ TAPE IN
0096R		LH 0,INPUT+2	CK STAT
0034R 4800		BNZ NOGO	
0098R		LOOP LB 11,0(13)	GET MSP
0038R 4230		XHI 11,X'10'	MAKE ALL +
0064R		NHI 11,X'1F'	MASK OUT INS BIT
003CR D3BD		LB 10,1(13)	GET LSP
0000		NHI 10,X'1F'	MASK OUT INS BIT
0040R C7B0		SLLS 11,5	LINE UP
0010		OHR 11,10	PACK
0044R C4B0		STH 11,0(13)	STORE AWAY
001F			
0048R D3AD			
0001			
004CR C4A0			
001F			
0050R 91B5			
0052R 06BA			
0054R 40BD			
0000			
0058R C1D0		BXLE 13,LOOP	GET NEXT

READ ECKERMAN TAPE INTO FORTRAN 5/74

PAGE 2

003CR	003CR			
005CR	D1A0	LM	10,REG	RETURN IF DONE
	0088R			
0060R	430F	B	4(15)	
	0004			
0064R	E120	SVC	12,UNPAK	UNPACK &
	0074R			
0068R	E120	SVC	2,LIST	PRINT STAT
	0078R			
006CR	E120	SVC	2,PAUSE	WAIT
	0094R			
0070R	4300	B	GO	TRY AGAIN
	0030R			
0074R	0006	UNPAK	DC	6,MESS
	0084R			
0078R	0007	LIST	DC	7,12,C'I/O ERR
	000C			
	492F			
	4F20			
	4558			
	5220			
0084R	MESS	DS	4	
0088R	REG	DS	12	
0094R	0001	PAUSE	DC	1
0096R	4801	INPUT	DC	X'4801',0,0,0 LU 1 RD IN
	0000			
	0000			
	0000			
009ER	END			

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DATE READ ECKERMAN TAPE INTO FORTRAN 5/74

NO ERRORS

* .O	0012R
* ECKERM	0000R
GO	0030R
INPUT	0096R
LIST	0078R
LOOP	003CR
MESS	0084R
NOGO	0064R
OK	0018R
PAUSE	0094R
REG	0088R
UNPAK	0074R

Fast Fourier Transform

```

SUBROUTINE FOUR1T(DATA,NN,S,ISIGN)
DATA=COMPLEX ARRAY
NN=NUMB COMPLEX VALS
S=SIN TBL, DIM=DIM(DATA)/2+1
ISIGN=SIGN IN FOURIER
IF ABS(ISIGN).NE.1, TABLES SETUP
IF EQ. 0, TABLES ONLY
NO NN NORMALIZATION
DIMENSION DATA(1),S(1)
N=NN+NN
NN2=NN/2
NN21=NN2+1
NN22=NN2+2
NNP2=NN+2
XN=NN
IF(IABS(ISIGN).EQ.1) GO TO 1
DO 4 I=1,NN21
THETA=3.1415926535*FLOAT(I-1)/XN
S(I)=SIN(THETA)
IF(ISIGN.EQ.0) RETURN
1 J=1
DO 5 I=1,N/2
IF(I.GE.J) GO TO 2
TEMPIR=DATA(J)
TEMPI=DATA(J+1)
DATA(J)=DATA(I)
DATA(J+1)=DATA(I+1)
DATA(I)=TEMPIR
DATA(I+1)=TEMPI
2 M=N/2
3 IF(J.LE.M) GO TO 5
J=J-M
M=M/2
IF(M.GE.2) GO TO 3
5 J=J+M
MMAX=2
6 ISTEP=MMAX+MMAX
NMAX=N/MMAX
DO 8 M=1,MMAX,2
IND=((M-1)*NMAX)/2+1
IF(IND.GT.NN21) GO TO 2
WI=S(IND)
IND=NN22-IND
WR=S(IND)
GO TO 9
7 IND=NNP2-IND
WI=S(IND)
IND=NN22-IND
WR=-S(IND)
CONTINUE
8 IF(ISIGN.LE.0) WI=-WI
DO 8 I=M,N,ISTEP

```

```

J=I+MMAX
TEMPI=WR*DATA(J)-WI*DATA(J+1)
TEMPI=WR*DATA(J+1)+WI*DATA(J)
DATA(J)=DATA(I)-TEMPI
DATA(J+1)=DATA(I+1)-TEMPI
DATA(I)=DATA(I)+TEMPI
8 DATA(I+1)=DATA(I+1)+TEMPI
MMAX=ISTEP
IF(MMAX.LT.N) GO TO 6
RETURN
END
FOUR1T 0024R FUNC/SUB
FOUR1T 0574R FUNC VAR
Q 0000R EXT FUNC
P 0000R EXT FUNC
DATA 002AR FORM PAR
NN 002CR FORM PAR
S 002ER FORM PAR
ISIGN 0030R FORM PAR
N 057CR INT4 VAR
NN2 0580R INT4 VAR
NN21 0588R INT4 VAR
NN22 0590R INT4 VAR
NNP2 0594R INT4 VAR
XN 0598R REAL VAR
W 0000R EXT FUNC
IABS 0000R EXT FUNC
1 012ER LABEL
4 00E4R LABEL
I 059CR INT4 VAR
THETA 05A0R REAL VAR
FLOAT 0000R EXT FUNC
SIN 0000R EXT FUNC
J 05B4R INT4 VAR
5 027CR LABEL
2 0228R LABEL
TEMPI 05B8R REAL VAR
TEMPI 05BCR REAL VAR
M 05C0R INT4 VAR
3 023AR LABEL
MMAX 05C4R INT4 VAR
6 02A2R LABEL
ISTEP 05C8R INT4 VAR
NMAX 05CCR INT4 VAR
8 04EAR LABEL
IND 05D0R INT4 VAR
7 033CR LABEL
WI 05D4R REAL VAR
WR 05D8R REAL VAR
9 038CR LABEL

```

0000 ERRORS

APPENDIX C

Main Analysis Program

```

0001 C THIS PROGRAM IS TO ANALYZE AND DISPLAY EOPAP SEASAT
0002 C SHORT PULSE RADAR DATA. DEPENDING ON THE PROGRAM
0003 C MODE SELECTED, PULSES, PULSE SPECTRA OR PEAK
0004 C HISTOGRAMS CAN BE DISPLAYED. EITHER THE AVERAGE
0005 C SPECTRA OR THE AVERAGE OF THE SPECTRA CAN BE
0006 C SELECTED. MEANS AND RMS VALUES CAN BE EVALUATED.
0007 C DATA ARE ADJUSTED FOR POWER.
0008 C
0009      0004R      IMPLICIT INTEGER*2 (I-N)
0010      0004R      DIMENSION IPR(168)
0011      0004R      DIMENSION INP(5344), TBL(1024), DAT(50), PULSE(256)
0012      0004R      DIMENSION XLAB(6), PLOT(101), PAV(256), WIND(256)
0013      0004R      COMPLEX Z(1024), CMPLX
0014      0004R      EQUIVALENCE (Z(1), INP(1))
0015      0004R      DATA PI,N,NTUP,LO,IHI/3.1415927,128,1024,23,150/
0016      0014R      DATA DOT,STAR,BLANK,SLASH,ES,AA,PEE/1H.,1H*,1H,1H/,1HS,1HA,1
0017      0030R      CALL FOURIR(Z,NTUP,TBL,0)
0018 C READ IN MODE DESIRED
0019      003ER      101   WRITE (0,100)
0020      0056R      100   FORMAT(11H ENTER MODE)
0021      006AR      READ(0,2) MODE
0022      008AR      N2=N/2
0023      009CR      N21=N2+1
0024      00A8R      NTUP21=NTUP/2+1
0025      00BER      N1=N+1
0026      00CAR      XN=N
0027      00D8R      XM=PI/XN
0028 C CALCULATE WINDOW WEIGHTS
0029      00E4R      DO 42 I=1,N
0030      00ECSR     42   WIND(I)=1.-.83636364*COS(FLOAT(I-1)*XM)
0031 C GET LABEL FOR SPECTRA
0032      013ER      DO 23 K=1,6
0033      0146R      23   XLAB(K)=FLOAT(K-1)
0034 C NOW GET INPUT PARAMETERS
0035      017CR      WRITE(0,4)
0036      0194R      4    FORMAT(6H LABEL)
0037      01A2R      READ(0,5) DAT
0038      01C4R      5    FORMAT(50A1)
0039      01CER      WRITE(0,30)
0040      01E6R      30   FORMAT(13H ANGLE/MICSEC)
0041      01FCR      READ(0,31) ANGLE,DUR
0042      0224R      31   FORMAT(8F5.1)
0043      0230R      WRITE(3,6) DAT
0044      0252R      6    FORMAT(1H1,50A1)
0045      0260R      ANG=ANGLE*PI/180.
0046      0270R      DELTA=160./(DUR*FLOAT(NTUP))
0047      0288R      WRITE(0,1)
0048      02A0R      1    FORMAT(7H FILE=?,?HITHRESH)
0049      02BAR      READ(0,2) IFILE,ITHRSH
0050      02E2R      2    FORMAT(8I5)
0051      02ECR      WRITE(3,3) IFILE,ANGLE,DUR
0052      031CB      3    FORMAT(6H FILE ,13.5X,F6.1,8H DEGREES,5X,F6.2,7H MICSEC)

```

```

0053 0352R
0054 0372R
0055 038ER
0056 03A6R
0057 03BCR
0058 03E4R
0059 03F2R
0060 0422R
0061
0062 044AR
0063 0452R
0064 045AR
0065 047AR
0066 048CR
0067 0494R
0068 04A4R
0069 04B8R
0070 04CAR
0071
0072 04FOR
0073 04F8R
0074 0500R
0075 0508R
0076 0514R
0077 0526R
0078
0079 053AR
0080 0542R
0081 054AR
0082 055AR
0083 0562R
0084 056ER
0085 05B4R
0086 05BCR
0087 05CCR
0088 05D4R
0089 05E0R
0090 05FCR
0091
0092
0093 0608R
0094 063ER
0095
0096 0650R
0097 0658R
0098 0664R
0099 0680R
0100 06FOR
0101 0702R
0102
0103 0706R
0104 0714R

      WRITE(3,99) ITHRSH
99   FORMAT(15H THRESHOLD = ,I5)
      WRITE(0,7)
7    FORMAT(12H BLOCKS,SIZE)
      READ(0,2) IBLKS,ISIZE
      SIZE=ISIZE
8    FORMAT(1H ,I5,32H AVG SQUARED PULSES,LOG SPECTRUM)
41   FORMAT(31H SPECTRA OF AVG=S,Avg SPECTRA=A )
C BLOCKS ARE INPUT IN 32 TRACE BLOCKS
      KOUNT=33
      DO 9 IIII=1,IBLKS
      WRITE(3,10) IIII
10   FORMAT(7H BLOCK ,I4)
      DO 15 K=LO,IHI
      IL=K+1-LO
      PAV(IL)=0.
      IPR(K)=0
15   PULSE(K)=0.
C      WRITE(3,22) XLAB
      CALL BKS(1)
      CALL ECKERM(INP)
      DO 12 I=1,ISIZE
      KOUNT=KOUNT+1
      IF(KOUNT.LE.32)GO TO 13
      MIN=2**14

C GET NEXT INPUT BLOCK OF 32 TRACES
      CALL ECKERM(INP)
      DO 11 III=1,32
      IJ=(III-1)*167
      DO 11 K=LO,IHI
      J=IJ+K
      11  MIN=MIN0(MIN,INP(J))
      KOUNT=1
      13  IJ=(KOUNT-1)*167
      DO 14 K=LO,IHI
      J=IJ+K
      X=INP(J)-MIN
      XX=XXX
      KL=K+1-LO
C      Z(KL)=CMPLX(XX,0.)*WIND(KL)
14   PULSE(K)=PULSE(K)+XX
      IF(MODE.NE.1)GO TO 12

C CALCULATE PEAK HISTOGRAM FOR VALUES ABOVE THRESHOLD
      DO 70 K=LO,IHI
      J=IJ+K
      IF(INP(J).LT.ITHRSH) GO TO 70
      IF(INP(J).GT.INP(J-1).AND.INP(J).GT.INP(J+1))IPR(K)=IPR(K)+1
70   CONTINUE
      GO TO 12

C GET PULSE FOURIER TRANSFORM
      CALL FOUR1T(Z,N,TBL,1)
      DO 40 K=1,N21

```

```

0105 071CR 40 PAV(K)=PAV(K)+CABS(Z(K))
0106 076AR 12 CONTINUE
0107 077CR DO 62 I=1,101
0108 0784R 62 PLOT(I)=BLANK
0109 07AAR IF(MODE.NE.1)GO TO 72
0110 07BCR WRITE(3,74) ISIZE
0111 07DCR 74 FORMAT(1H ,IS,15H PEAK HISTOGRAM )
C CALCULATE MEAN,RMS FOR HISTOGRAM
0112 SUMNRM=0.
0113 07FCR CNTROD=0.
0114 0804R SUMSQ=0.
0115 080CR TMIN=5000.
0116 0814R TMAX=0.
0117 081CR DO 97,I=LO,IHI
0118 0824R XK=I
0119 082CR IF(IPR(I).GT.0) TMIN=A MIN1(TMIN,XK)
0120 083AR IF(IPR(I).GT.0) TMAX=A MAX1(TMAX,XK)
0121 0860R X=IPR(I)
0122 0886R SUMNRM=SUMNRM+X
0123 089ER CNTROD=CNTROD+XXXX
0124 08AAR SUMSQ=SUMSQ+XXXXXX
0125 08BAA CONTINUE
0126 08CER CNTROD=CNTROD/SUMNRM
0127 08E0R SUMSQ=SUMSQ/SUMNRM
0128 08ECR RMS=SQRT(SUMSQ-CNTROD*CNTROD)
0129 08F8R WRITE(3,98)CNTROD,RMS
0130 0918R 98 FORMAT(13H CENTROID = ,F5.0,7H RMS = ,F5.0)
0131 0940R GO TO 102
0132 096AR SIGZ=RMS*RMS-((TMAX-TMIN-1)**2)/12.
0133 096ER SIGZP=DUR*150.*SQRT(ABS(SIGZ))/(160.*COS(ANG))
0134 099ER WRITE(3,96)SIGZP
0135 09DER 96 FORMAT(15H SIGMA Z = ,F12.5)
0136 09FER IF(SIGZ.LT.0.)WRITE(3,95)
0137 0A1CR 95 FORMAT(12H NEGATIVE )
0138 0A42R CONTINUE
0139 0A58R DO 23 K=LO,IHI
0140 0A58R IX=FLOAT(IPR(K))/SIZE*100.+5
0141 0A60R PLOT(IX)=PEE
0142 0A90R WRITE(3,75) K,IPR(K),PLOT
0143 0AA4R 75 FORMAT(1H ,2I5,101A1)
0144 0AE8R PLOT(IX)=BLANK
0145 0AFCR 73 CONTINUE
0146 0B10R GO TO 76
0147 0B22R C NOW PLOT PULSE AVG, SPECTRUM
0148 0B26R 72 XMAX=0.
0149 0B2ER CNTROD=0.
0150 0B36R SUMNRM=0.
0151 0B3ER DO 64 K=LO,IHI
0152 0B3ER CNTROD=CNTROD+PULSE(K)*FLOAT(K)
0153 0B46R SUMNRM=SUMNRM+PULSE(K)
0154 0B66R XMAX=A MAX1(XMAX,PULSE(K))
0155 0B7ER CNTROD=CNTROD/SUMNRM
0156 0BB2R

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0157 0BBER      ICNTR=CNTR0D+.5
0158 0BDOR      WRITE(3,8) ISIZE
0159 0BF0R      WRITE(3,65) ICNTR
0160 0C10R      FORMAT(13H CENTROID = ,I5)
0161 0C2AR      XNORM=100./XMAX
0162 0C36R      DO 16 K=1,N
0163 0C3ER      IJ=LO+K-1
0164 0C4ER      IX=PULSE(IJ)*XNORM+.5
0165 0C70R      PLOT(IX)=PEE
0166 0C84R      WRITE(3,61) IJ,PLOT
0167 0CAER      65 FORMAT(1H ,I3,101A1)
0168 0CC0R      PLOT(IX)=BLANK
0169 0CD4R      61 Z(K)=CMPLX(PULSE(IJ)/SIZE,0.)
0170 0D1CR      DO 60 K=N1,NTUP
0171 0D24R      60 Z(K)=CMPLX(0.,0.)
0172 0DS4R      CALL FOUR1T(Z,NTUP,TBL,1)
0173          C  WRITE(2,200) (Z(KK),KK=1,N)
0174          C  200 FORMAT(4E20.9)
0175          C  WRITE(3,82) XLAB
0176          C  22 FORMAT(10H FREQUENCY ,4X,1HS,3X,5(F4.1,16X),F4.1)
0177          C  DO 18 K=1,NTUP21
0178          C  PAV(K)=PAV(K)/SIZE
0179 0DC6R      D=FLOAT(K-1)*DELTA
0180 0DE2R      X=CABS(Z(K))/XN
0181 0E06R      X=ALOG10(X)
0182 0E12R      IX=20.*X+.5
0183 0E28R      IX=MIN0(MAX0(1,IX+1),101)
0184          C  Y=ALOG10(PAV(K))
0185          C  IY=20.*Y+SIGN(.5,Y)
0186          C  IY=MIN0(MAX0(1,IY+1),101)
0187 0E54R      PLOT(1)=SLASH
0188 0E60R      DO 19 I=2,101
0189 0E68R      PLOT(I)=BLANK
0190 0E7CR      IF(((I-1)/4).EQ.I-1)PLOT(I)=DOT
0191 0EB6R      19 CONTINUE
0192          C  PLOT(IY)=AA
0193 0EC8R      PLOT(IX)=ES
0194 0EDCR      WRITE(3,20) D,X,PLOT
0195 0FOER      20 FORMAT(1H ,F6.2,4X,F7.4,2X,101A1)
0196 0F2ER      18 CONTINUE
0197 0F40R      76 WRITE(3,21)
0198 0F58R      21 FORMAT(1H1)
0199 0F62R      9 CONTINUE
0200          C NOW GET NEXT INPUT
0201 0F74R      GO TO 101
0202 0F78R      END
0000R  EXT  FUNO
IPR   0F7CR  INT2  VAR
INP   10CCR  INT2  VAR
Z     10CCR  CMPX  VAR
TBL   3A8CR  REAL  VAR
DAT   4A3CR  REAL  VAR

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PULSE	4B54R	REAL VAR
XLAB	4F54R	REAL VAR
PLOT	4F60R	REAL VAR
PAV	5100R	REAL VAR
WIND	5500R	REAL VAR
CMPLX	0000R	EXT FUNC
PI	0008R	REAL VAR
N	000CR	INT2 VAR
NTUP	000ER	INT2 VAR
LO	0010R	INT2 VAR
IHI	0012R	INT2 VAR
DOT	0014R	REAL VAR
STAR	0018R	REAL VAR
BLANK	001CR	REAL VAR
SLASH	0020R	REAL VAR
ES	0024R	REAL VAR
AA	0028R	REAL VAR
PEE	002CR	REAL VAR
FOUR1T	0000R	EXT FUNC
101	003ER	LABEL
100	0056R	LABEL
@H	0000R	EXT FUNC
S	02E2R	LABEL
MODE	5904R	INT2 VAR
N2	5906R	INT2 VAR
N21	590CR	INT2 VAR
NTUP21	5912R	INT2 VAR
N1	5914R	INT2 VAR
XN	5916R	REAL VAR
W	0000R	EXT FUNC
XM	591AR	REAL VAR
42	00ECR	LABEL
I	591ER	INT2 VAR
COS	0000R	EXT FUNC
FLOAT	0000R	EXT FUNC
23	0146R	LABEL
K	5938R	INT2 VAR
4	0194R	LABEL
5	01C4R	LABEL
30	01E6R	LABEL
31	0224R	LABEL
ANGLE	593AR	REAL VAR
DUR	593ER	REAL VAR
6	0252R	LABEL
ANG	5942R	REAL VAR
DELTA	594AR	REAL VAR
1	02A0R	LABEL
IFILE	5952R	INT2 VAR
ITHRSH	5954R	INT2 VAR
3	031CR	LABEL
99	0372R	LABEL
7	03A6R	LABEL

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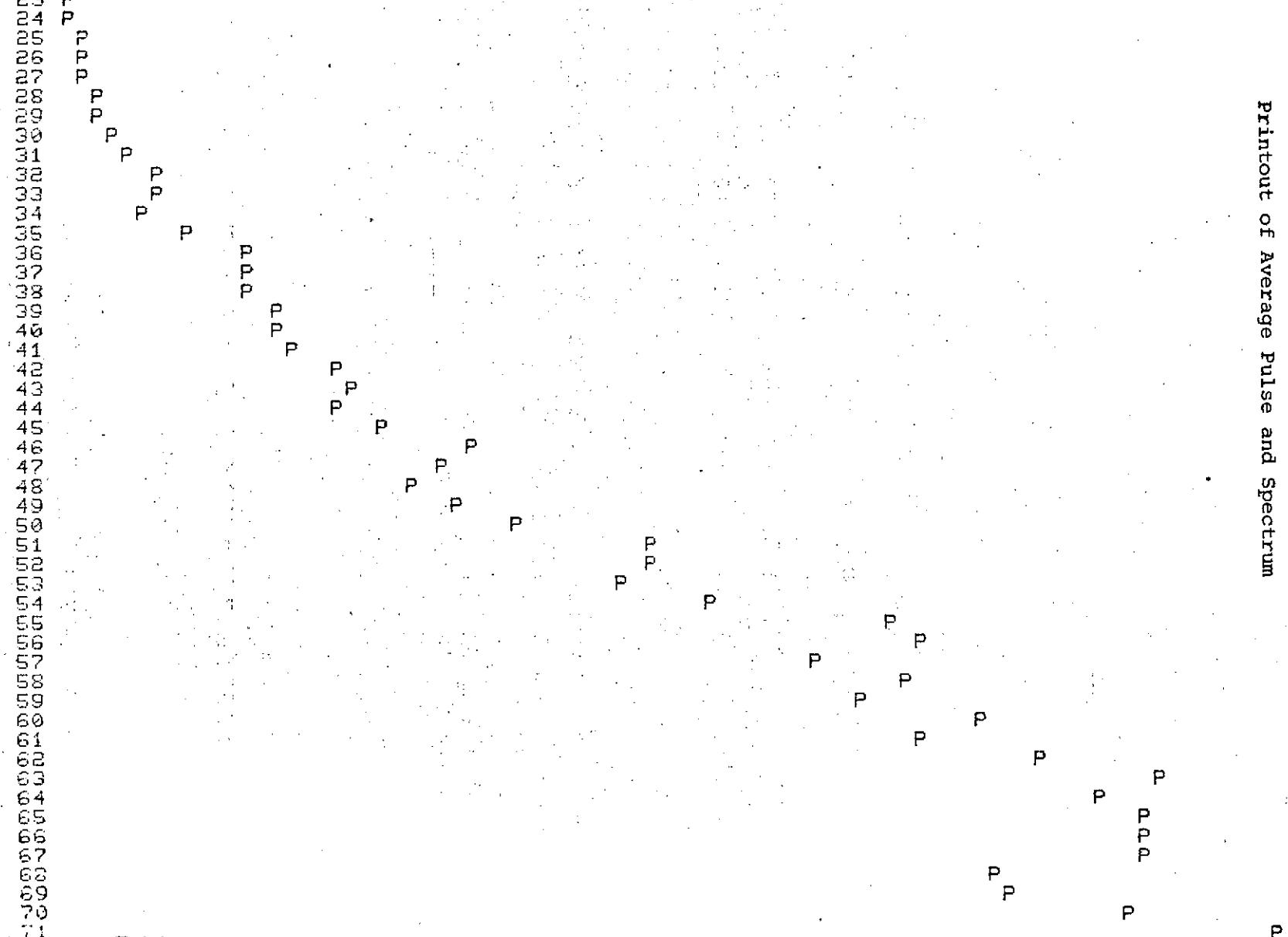
IBLKS	5956R	INT2 VAR
ISIZE	5958R	INT2 VAR
SIZE	595AR	REAL VAR
8	03F2R	LABEL
41	0482R	LABEL
KOUNT	595ER	INT2 VAR
9	0F82R	LABEL
IIII	5964R	INT2 VAR
10	047AR	LABEL
15	04CAR	LABEL
IL	5966R	INT2 VAR
BKS	0000R	EXT FUNC
ECKERM	0000R	EXT FUNC
12	076AR	LABEL
13	05BCR	LABEL
MIN	5970R	INT2 VAR
I	0000R	EXT FUNC
11	058ER	LABEL
III	5976R	INT2 VAR
IJ	5978R	INT2 VAR
J	597ER	INT2 VAR
-MIN0	0000R	EXT FUNC
14	0608R	LABEL
X	5980R	REAL VAR
XX	5984R	REAL VAR
70	06F0R	LABEL
40	071CR	LABEL
CABS	0000R	EXT FUNC
62	0784R	LABEL
72	0B26R	LABEL
74	07DCR	LABEL
SUMNRM	5988R	REAL VAR
CNTROD	598CR	REAL VAR
SUMSQ	5990R	REAL VAR
TMIN	5994R	REAL VAR
TMAX	599CR	REAL VAR
97	08CER	LABEL
XK	59A0R	REAL VAR
AMINI	0000R	EXT FUNC
AMAX1	0000R	EXT FUNC
RMS	59A4R	REAL VAR
SQRT	0000R	EXT FUNC
98	0940R	LABEL
102	0A58R	LABEL
SIGZ	59A8R	REAL VAR
R	0000R	EXT FUNC
SIGZP	59B0R	REAL VAR
ABS	0000R	EXT FUNC
96	09FER	LABEL
95	0A42R	LABEL
73	0B10R	LABEL
IX	59C0R	INT2 VAR

.Y	0000R	EXT FUNC
75	0AE3R	LABEL
76	0F40R	LABEL
XMAX	59CAR	REAL VAR
E4	0B7ER	LABEL
ICNTR	59CER	INT2 VAR
65	0C10R	LABEL
XNORM	59D0R	REAL VAR
16	0CD4R	LABEL
61	0C4ER	LABEL
\$P	0000R	EXT FUNC
60	0D24R	LABEL
200	0D62R	LABEL
22	0D90R	LABEL
18	0F2ER	LABEL
D	59D4R	REAL VAR
ALOG10	0000R	EXT FUNC
MAX0	0000R	EXT FUNC
19	0EB6R	LABEL
20	0F0ER	LABEL
21	0F58R	LABEL
.V	0000R	EXT FUNC

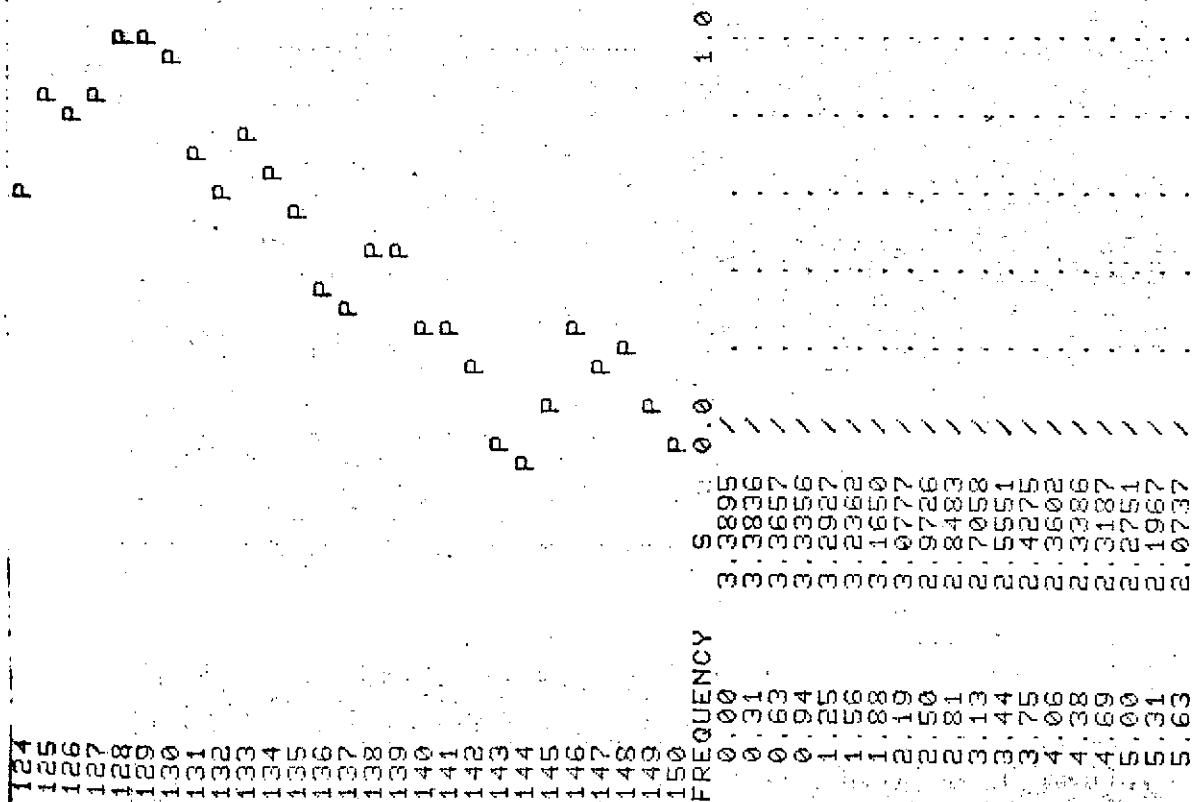
0000 ERRORS

Printout of Average Pulse and Spectrum

NRL DATA OF 1/74 BY SYSTEMS ANALYSIS 1/75
FILE 1 10.0 DEGREES 0.50 MICSEC
THRESHOLD = 512
BLOCK 1
64 AVG SQUARED PULSES, LOG SPECTRUM
CENTROID = 89



72
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காட்டுத் தெய்வம் காட்டுத் தெய்வம் காட்டுத் தெய்வம் காட்டுத் தெய்வம்
காட்டுத் தெய்வம் காட்டுத் தெய்வம் காட்டுத் தெய்வம் காட்டுத் தெய்வம்
காட்டுத் தெய்வம் காட்டுத் தெய்வம் காட்டுத் தெய்வம் காட்டுத் தெய்வம்
காட்டுத் தெய்வம் காட்டுத் தெய்வம் காட்டுத் தெய்வம் காட்டுத் தெய்வம்

20 22 24 26 28 30 32 34 36 38 40 42 44 46 48 50 52 54 56 58 60 62 64 66 68 70 72 74 76 78 80 82 84 86 88 90 92 94 96 98 100 102 104 106 108 110 112 114 116 118 120 122 124 126 128 130 132 134 136 138 140 142 144 146 148 150 152 154 156 158 160 162 164 166 168 170 172 174 176 178 180 182 184 186 188 190 192 194 196 198 200 202 204 206 208 210 212 214 216 218 220 222 224 226 228 230 232 234 236 238 240 242 244 246 248 250 252 254 256 258 260 262 264 266 268 270 272 274 276 278 280 282 284 286 288 290 292 294 296 298 300 302 304 306 308 310 312 314 316 318 320 322 324 326 328 330 332 334 336 338 340 342 344 346 348 350 352 354 356 358 360 362 364 366 368 370 372 374 376 378 380 382 384 386 388 390 392 394 396 398 400 402 404 406 408 410 412 414 416 418 420 422 424 426 428 430 432 434 436 438 440 442 444 446 448 450 452 454 456 458 460 462 464 466 468 470 472 474 476 478 480 482 484 486 488 490 492 494 496 498 500 502 504 506 508 510 512 514 516 518 520 522 524 526 528 530 532 534 536 538 540 542 544 546 548 550 552 554 556 558 560 562 564 566 568 570 572 574 576 578 580 582 584 586 588 590 592 594 596 598 600 602 604 606 608 610 612 614 616 618 620 622 624 626 628 630 632 634 636 638 640 642 644 646 648 650 652 654 656 658 660 662 664 666 668 670 672 674 676 678 680 682 684 686 688 690 692 694 696 698 700 702 704 706 708 710 712 714 716 718 720 722 724 726 728 730 732 734 736 738 740 742 744 746 748 750 752 754 756 758 760 762 764 766 768 770 772 774 776 778 780 782 784 786 788 790 792 794 796 798 800 802 804 806 808 810 812 814 816 818 820 822 824 826 828 830 832 834 836 838 840 842 844 846 848 850 852 854 856 858 860 862 864 866 868 870 872 874 876 878 880 882 884 886 888 890 892 894 896 898 900 902 904 906 908 910 912 914 916 918 920 922 924 926 928 930 932 934 936 938 940 942 944 946 948 950 952 954 956 958 960 962 964 966 968 970 972 974 976 978 980 982 984 986 988 990 992 994 996 998 999 999

মাত্র কোন বিশেষ পদক্ষেপ নির্দেশ করা হয়েছে।

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APPENDIX E

Peak Histogram

NRL DATA OF 1/74 BY SYSTEMS ANALYSIS 1775

FILE 1 : 10.0 DEGREES : 0.50 MICSEC

THRESHOLD = 512

BLOCK 1

32 PEAK HISTOGRAM

CENTROID = 90. RMS = 26.

23 0
24 0
26 0
27 0
28 0
29 0
30 0
31 0
32 0
33 0
34 0
35 0
36 0
37 0
38 0
39 0
40 0
41 P
42 P
43 P
44 P
45 P
46 P
47 P
48 P
49 P
50 P
51 P
52 P
53 P
54 P
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67 P
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76 P
77 P
78 P
79 P
80 P
81 P
82 P
83 P
84 P
85 P

